

3.9 $-105 - 42 = -128 (-147)$

3.10 $-105 + 42 = -63$

3.11 $151 + 214 = 255 (365)$

3.13 62×12

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$(62)_{16} = (0110_0010)_2$

$(12)_{16} = (0001_0010)_2$

Iteration	Step	Multiplier	Multiplicand	Product
0	Initial values	0000_0000_0001_0010	0000_0000_0110_0010	0000_0000_0000_0000
1	1: 0 → no operation	0000_0000_0001_0010	0000_0000_0110_0010	0000_0000_0000_0000
	2: Shift left Multiplicand	0000_0000_0001_0010	0000_0000_1100_0100	0000_0000_0000_0000
	3: Shift right Multiplier	0000_0000_0000_1001	0000_0000_1100_0100	0000_0000_0000_0000
2	1: 1 → Prod = Prod + Mcand	0000_0000_0000_1001	0000_0000_1100_0100	$\begin{array}{r} 0000_0000_0000_0000 \\ + 0000_0000_1100_0100 \\ \hline 0000_0000_1100_0100 \end{array}$
	2: Shift left Multiplicand	0000_0000_0000_1001	0000_0001_1000_1000	0000_0000_1100_0100
	3: Shift right Multiplier	0000_0000_0000_0100	0000_0001_1000_1000	0000_0000_1100_0100
3	1: 0 → no operation	0000_0000_0000_0100	0000_0001_1000_1000	0000_0000_1100_0100
	2: Shift left Multiplicand	0000_0000_0000_0100	0000_0011_0001_0000	0000_0000_1100_0100
	3: Shift right Multiplier	0000_0000_0000_0010	0000_0011_0001_0000	0000_0000_1100_0100
4	1: 0 → no operation	0000_0000_0000_0010	0000_0011_0001_0000	0000_0000_1100_0100
	2: Shift left Multiplicand	0000_0000_0000_0010	0000_0110_0010_0000	0000_0000_1100_0100
	3: Shift right Multiplier	0000_0000_0000_0001	0000_0110_0010_0000	0000_0000_1100_0100
5	1: 1 → Prod = Prod + Mcand	0000_0000_0000_0001	0000_0110_0010_0000	$\begin{array}{r} 0000_0000_1100_0100 \\ + 0000_0110_0010_0000 \\ \hline 0000_0110_1110_0100 \end{array}$
	2: Shift left Multiplicand	0000_0000_0000_0001	0000_1100_0100_0000	0000_0110_1110_0100
	3: Shift right Multiplier	0000_0000_0000_0000	0000_1100_0100_0000	0000_0110_1110_0100
6~8	1: 0 → no operation	剩下的怎麼移， LSB都是0	省略	0000_0110_1110_0100
	2: Shift left Multiplicand			
	3: Shift right Multiplier			

得 $(06E4)_{16}$

$= (1764)_{10}$

3.22

$$0 \times 0C000000 = 0000\ 1100\ 0000\ 0000\ 0000\ 0000\ 0000\ 0000$$

$$= 0\ 0001\ 1000\ 0000\ 0000\ 0000\ 0000\ 0000\ 000$$

sign is positive

$$\text{exp} = 0 \times 18 = 24 - 127 = -103$$

there is a hidden 1

$$\text{mantissa} = 0$$

$$\text{answer} = 1.0 \times 2^{-103}$$

3.23

$$63.25 \times 10^0 = 111111.01 \times 2^0$$

normalize, move binary point 5 to the left

$$1.1111101 \times 2^5$$

$$\text{sign} = \text{positive}, \text{exp} = 127 + 5 = 132$$

Final bit pattern: 0 1000 0100 1111 1010 0000 0000 0000 000

$$= 0100\ 0010\ 0111\ 1101\ 0000\ 0000\ 0000\ 0000 = 0x427D0000$$

3.27

$$-1.5625 \times 10^{-1} = -.15625 \times 10^0$$

$$= -.00101 \times 2^0$$

move the binary point 3 to the right, $= -1.01 \times 2^{-3}$

$$\text{exponent} = -3 = -3 + 15 = 12, \text{fraction} = -.0100000000$$

$$\text{answer: } 1011000100000000$$

3.35

(A) $3.41796875 \times 10^{-3} = 1.1100000000 \times 2^{-9}$

(B) $6.34765625 \times 10^{-3} = 1.1010000000 \times 2^{-8}$

(C) $1.05625 \times 10^2 = 1.1010011010 \times 2^6$

$$A \times B: \text{EXP} = -9 + -8 = -17$$

=>Underflow

3.36

$$(A) 3.41796875 \times 10^{-3} = 1.1100000000 \times 2^{-9}$$

$$(B) 6.34765625 \times 10^{-3} = 1.1010000000 \times 2^{-8}$$

$$(C) 1.05625 \times 10^2 = 1.1010011010 \times 2^6$$

$$B \times C: \text{EXP} = -8 + 6 = -2$$

$$1.0001000000 \times 1.1010011010 = 10.1010111010010000000$$

$$\Rightarrow 1.0101011101001 \times 2^{-1}$$

$$\Rightarrow \text{Guard} = 0, \text{Round} = 0, \text{Sticky} = 1$$

$$\Rightarrow \text{Ans} = 1.0101011101 \times 2^{-1}$$

$$\text{Ans} \times A: \text{Exp} = -1 - 9 = -10$$

$$1.0101011101 \times 1.1100000000 = 10.010110001011$$

$$\Rightarrow 1.0010110001011 \times 2^{-9}$$

$$\Rightarrow \text{Guard} = 0, \text{Round} = 1, \text{Sticky} = 1$$

$$\Rightarrow \text{Final Ans} = 1.0010110001 \times 2^{-9}$$

3.37

No,

3.35 A*B is underflow => can't represent

3.36 A*(B*C) = 1.0010110001*2⁽⁻⁹⁾