

## Solution 2.5

### 2.5.1

<b>a.</b>	Address 12 8 4 0	Data 1 6 4 2	temp = Array[3]; Array[3] = Array[2]; Array[2] = Array[1]; Array[1] = Array[0]; Array[0] = temp;
<b>b.</b>	Address 16 12 8 4 0	Data 1 2 3 4 5	temp = Array[4]; Array[4] = Array[0]; Array[0] = temp; temp = Array[3]; Array[3] = Array[1]; Array[1] = temp;

### 2.5.2

<b>a.</b>	Address 12 8 4 0	Data 1 6 4 2	temp = Array[3]; Array[3] = Array[2]; Array[2] = Array[1]; Array[1] = Array[0]; Array[0] = temp;	lw \$t0, 12(\$s6) lw \$t1, 8(\$s6) sw \$t1, 12(\$s6) lw \$t1, 4(\$s6) sw \$t1, 8(\$s6) lw \$t1, 0(\$s6) sw \$t1, 4(\$s6) sw \$t0, 0(\$s6)
<b>b.</b>	Address 16 12 8 4 0	Data 1 2 3 4 5	temp = Array[4]; Array[4] = Array[0]; Array[0] = temp;  temp = Array[3]; Array[3] = Array[1]; Array[1] = temp;	lw \$t0, 16(\$s6) lw \$t1, 0(\$s6) sw \$t1, 16(\$s6) sw \$t0, 0(\$s6)  lw \$t0, 12(\$s6) lw \$t1, 4(\$s6) sw \$t1, 12(\$s6) sw \$t0, 4(\$s6)

### 2.5.3

<b>a.</b>	Address 12 8 4 0	Data 1 6 4 2	temp = Array[3]; Array[3] = Array[2]; Array[2] = Array[1]; Array[1] = Array[0]; Array[0] = temp;	lw \$t0, 12(\$s6) lw \$t1, 8(\$s6) sw \$t1, 12(\$s6) lw \$t1, 4(\$s6) sw \$t1, 8(\$s6) lw \$t1, 0(\$s6) sw \$t1, 4(\$s6) sw \$t0, 0(\$s6)	8 mips instructions, +1 mips inst. for every non-zero offset lw/sw pair (11 mips inst.)
<b>b.</b>	Address 16 12 8 4 0	Data 1 2 3 4 5	temp = Array[4]; Array[4] = Array[0]; Array[0] = temp;  temp = Array[3]; Array[3] = Array[1]; Array[1] = temp;	lw \$t0, 16(\$s6) lw \$t1, 0(\$s6) sw \$t1, 16(\$s6) sw \$t0, 0(\$s6)  lw \$t0, 12(\$s6) lw \$t1, 4(\$s6) sw \$t1, 12(\$s6) sw \$t0, 4(\$s6)	8 mips instructions, +1 mips inst. for every non-zero offset lw/sw pair (11 mips inst.)

## 2.5.4

a.	305419896
b.	3199070221

## 2.5.5

	Little-Endian		Big-Endian	
a.	Address 12 8 4 0	Data 12 34 56 78	Address 12 8 4 0	Data 78 56 34 12
b.	Address 12 8 4 0	Data be ad f0 0d	Address 12 8 4 0	Data 0d f0 ad be

## Solution 2.6

### 2.6.1

a.	lw \$s0, 4(\$s7) sub \$s0, \$s0, \$s1 add \$s0, \$s0, \$s2
b.	sll \$s1, \$s1, 2 add \$t0, \$s7, \$s1 lw \$t0, 0(\$t0) sll \$t0, \$t0, 2 add \$t0, \$t0, \$s6 lw \$s0, 4(\$t0)

### 2.6.2

a.	3
b.	6

### 2.6.3

a.	4
b.	5

### 2.6.4

a.	f = 2i + h;
b.	f = A[(g/4)-3];

### 2.6.5

a.	\$s0 = 110
b.	\$s0 = 300

### 2.6.6

a.

	Type	opcode	rs	rt	rd	immed
add \$s0, \$s0, \$s1	R-type	0	16	17	16	
add \$s0, \$s3, \$s2	R-type	0	19	18	16	
add \$s0, \$s0, \$s3	R-type	0	16	19	16	

b.

	Type	opcode	rs	rt	rd	immed
addi \$s6, \$s6, -20	I-type	8	22	22		-20
add \$s6, \$s6, \$s1	R-type	0	22q	17	22	
lw \$s0, 8(\$s6)	I-type	35	22	16		8

## Solution 2.7

## 2.7.1

<b>a.</b>	-1391460350
<b>b.</b>	-19629

## 2.7.2

<b>a.</b>	2903506946
<b>b.</b>	4294947667

### **2.7.3**

<b>a.</b>	AD100002
<b>b.</b>	FFFFB353

## 2.7.4

<b>a.</b>	0111
<b>b.</b>	11111101000

## 2.7.5

a.	7FFFFFFF
b.	3E8

2.7.6

a.	80000001
b.	FFFFFC18

## **Solution 2.8**

### **2.8.1**

<b>a.</b>	7FFFFFFF, no overflow
<b>b.</b>	80000000, overflow

### **2.8.2**

<b>a.</b>	60000001, no overflow
<b>b.</b>	0, no overflow

### **2.8.3**

<b>a.</b>	EFFFFFFF, overflow
<b>b.</b>	C0000000, overflow

### **2.8.4**

<b>a.</b>	overflow
<b>b.</b>	no overflow

### **2.8.5**

<b>a.</b>	no overflow
<b>b.</b>	no overflow

### **2.8.6**

<b>a.</b>	overflow
<b>b.</b>	no overflow

## Solution 2.12

### 2.12.1

	Type	opcode	rs	rt	rd	shamt	funct	
a.	R-type	6	3	3	3	5	6	total bits = 26
b.	R-type	6	5	5	5	5	6	total bits = 32

### 2.12.2

	Type	opcode	rs	rt	immed	
a.	I-type	6	3	3	16	total bits = 28
b.	I-type	6	5	5	10	total bits = 26

### 2.12.3

a.	less registers → less bits per instruction → could reduce code size less registers → more register spills → more instructions
b.	smaller constants → more lui instructions → could increase code size smaller constants → smaller opcodes → smaller code size

### 2.12.4

a.	17367056
b.	2366177298

### 2.12.5

a.	add \$zero, \$t1, \$t0 (若funct=32)
b.	lw \$t1, 18(\$t0)

### 2.12.6

a.	R-type, op=0x0, rt=0x9
b.	I-type, op=0x23, rt=0x8

## **Solution 2.13**

### **2.13.1**

a.	0x57755778
b.	0xFFFFFEDE

### **2.13.2**

a.	0x00005550
b.	0x0000EED0

### **2.13.3**

a.	0x0000AAAA
b.	0x0000BFCD

### **2.13.4**

a.	0x00015B5A
b.	0x000000D0

### **2.13.5**

a.	0xEFEF0000
b.	0x00000000

### **2.13.6**

a.	0xEFEEEEEE
b.	0x000000F0

## Solution 2.14

### 2.14.1

<b>a.</b>	add \$t1, \$t0, \$0 srl \$t1, \$t1, 5 andi \$t1, \$t1, 0x0001ffff
<b>b.</b>	add \$t1, \$t0, \$0 sll \$t1, \$t1, 10 andi \$t1, \$t1, 0xfffff8000

### 2.14.2

<b>a.</b>	add \$t1, \$t0, \$0 andi \$t1, \$t1, 0x0000000f
<b>b.</b>	add \$t1, \$t0, \$0 srl \$t1, \$t1, 14 andi \$t1, \$t1, 0x0003c000

### 2.14.3

<b>a.</b>	add \$t1, \$t0, \$0 srl \$t1, \$t1, 28
<b>b.</b>	add \$t1, \$t0, \$0 srl \$t1, \$t1, 14 andi \$t1, \$t1, 0x0001c000

### 2.14.4

<b>a.</b>	add \$t2, \$t0, \$0 srl \$t2, \$t2, 11 and \$t2, \$t2, 0x0000003f and \$t1, \$t1, 0xffffffffc0 ori \$t1, \$t1, \$t2
<b>b.</b>	add \$t2, \$t0, \$0 sll \$t2, \$t2, 3 and \$t2, \$t2, 0x000fc000 and \$t1, \$t1, 0xffff03fff ori \$t1, \$t1, \$t2

## 2.14.5

<b>a.</b>	add \$t2, \$t0, \$0 and \$t2, \$t2, 0x0000001f and \$t1, \$t1, 0xffffffe0 ori \$t1, \$t1, \$t2
<b>b.</b>	add \$t2, \$t0, \$0 sll \$t2, \$t2, 14 and \$t2, \$t2, 0x0007c000 and \$t1, \$t1, 0xffff83fff ori \$t1, \$t1, \$t2

## 2.14.6

<b>a.</b>	add \$t2, \$t0, \$0 srl \$t2, \$t2, 29 and \$t2, \$t2, 0x00000003 and \$t1, \$t1, 0xfffffff0 ori \$t1, \$t1, \$t2
<b>b.</b>	add \$t2, \$t0, \$0 srl \$t2, \$t2, 15 and \$t2, \$t2, 0x0000c000 and \$t1, \$t1, 0xffff3fff ori \$t1, \$t1, \$t2

## Solution 2.17

**2.17.1** The answer is really the same for all. All of these instructions are either supported by an existing instruction, or sequence of existing instructions. Looking for an answer along the lines of, “these instructions are not common, and we are only making the common case fast”.

### 2.17.2

a.	could be either R-type or I-type
b.	R-type

### 2.17.3

a.	ABS: sub \$t2,\$zero,\$t3 # t2 = - t3 ble \$t3,\$zero,done # if t3 < 0, result is t2 add \$t2,\$t3,\$zero # if t3 > 0, result is t3 DONE:
b.	slt \$t1, \$t3, \$t2

### 2.17.4

a.	20
b.	200

### 2.17.5

a.	i = 10; do { B += 2; i = i - 1; } while (i > 0)
b.	i = 10; do { temp = 10; do { B += 2; temp = temp - 1; } while (temp > 0) i = i - 1; } while (i > 0)

### 2.17.6

a.	$5 \times N + 3$
b.	$33 \times N$

## Solution 2.19

### 2.19.1

<b>a.</b>	<pre>compare:     addi \$sp, \$sp, -4     sw   \$ra, 0(\$sp)      add  \$s0, \$a0, \$0     add  \$s1, \$a1, \$0      jal  sub     addi \$t1, \$0, 1     beq  \$v0, \$0, exit     slt  \$t2, \$0, \$v0     bne  \$t2, \$0, exit     addi \$t1, \$0, \$0  exit:     add  \$v0, \$t1, \$0     lw   \$ra, 0(\$sp)     addi \$sp, \$sp, 4     jr   \$ra  sub:     sub  \$v0, \$a0, \$a1     jr   \$ra</pre>
<b>b.</b>	<pre>fib_iter:     addi \$sp, \$sp, -16     sw   \$ra, 12(\$sp)     sw   \$s0, 8(\$sp)     sw   \$s1, 4(\$sp)     sw   \$s2, 0(\$sp)      add  \$s0, \$a0, \$0     add  \$s1, \$a1, \$0     add  \$s2, \$a2, \$0      add  \$v0, \$s1, \$0,     bne  \$s2, \$0, exit      add  \$a0, \$s0, \$s1     add  \$a1, \$s0, \$0     add  \$a2, \$s2, -1     jal  fib_iter  exit:     lw   \$s2, 0(\$sp)     lw   \$s1, 4(\$sp)     lw   \$s0, 8(\$sp)     lw   \$ra, 12(\$sp)     addi \$sp, \$sp, 16     jr   \$ra</pre>

## 2.19.2

<b>a.</b> <pre> compare:     addi \$sp, \$sp, -4     sw   \$ra, 0(\$sp)      sub  \$t0, \$a0, \$a1     addi \$t1, \$0, 1     beq  \$t0, \$0, exit     slt  \$t2, \$0, \$t0     bne  \$t2, \$0, exit     addi \$t1, \$0, \$0  exit:     add  \$v0, \$t1, \$0     lw   \$ra, 0(\$sp)     addi \$sp, \$sp, 4     jr   \$ra </pre>	
<b>b.</b> Due to the recursive nature of the code, not possible for the compiler to in-line the function call.	

## 2.19.3

<b>a.</b> <pre> after calling function compare: old \$sp =&gt;      0x7fffffff      ??? \$sp =&gt;          -4                  contents of register \$ra  after calling function sub: old \$sp =&gt;      0x7fffffff      ???                     -4                  contents of register \$ra \$sp =&gt;          -8                  contents of register \$ra #return to  compare </pre>	
<b>b.</b> <pre> after calling function fib_iter: old \$sp =&gt;      0x7fffffff      ???                     -4                  contents of register \$ra                     -8                  contents of register \$s0                     -12                 contents of register \$s1 \$sp =&gt;          -16                 contents of register \$s2 </pre>	

## 2.19.4

<b>a.</b> <pre> f:  addi   \$sp,\$sp,-8      sw    \$ra,4(\$sp)      sw    \$s0,0(\$sp)      move  \$s0,\$a2      jal   func      move  \$a0,\$v0      move  \$a1,\$s0      jal   func      lw    \$ra,4(\$sp)      lw    \$s0,0(\$sp)      addi \$sp,\$sp,8      jr   \$ra </pre>	
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<b>b.</b>	<pre> f: addi    \$sp,\$sp,-12       sw      \$ra,8(\$sp)       sw      \$s1,4(\$sp)       sw      \$s0,0(\$sp)       move   \$s0,\$a1       move   \$s1,\$a2       jal    func       move   \$a0,\$s0       move   \$a1,\$s1       move   \$s0,\$v0       jal    func       add    \$v0,\$v0,\$s0       lw     \$ra,8(\$sp)       lw     \$s1,4(\$sp)       lw     \$s0,0(\$sp)       addi  \$sp,\$sp,12       jr    ra </pre>
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## 2.19.5

<b>a.</b>	We can use the tail-call optimization for the second call to <code>func</code> , but then we must restore <code>\$ra</code> and <code>\$sp</code> before that call. We save only one instruction ( <code>jr \$ra</code> ).
<b>b.</b>	We can NOT use the tail call optimization here, because the value returned from <code>f</code> is not equal to the value returned by the last call to <code>func</code> .

**2.19.6** Register `$ra` is equal to the return address in the caller function, registers `$sp` and `$s3` have the same values they had when function `f` was called, and register `$t5` can have an arbitrary value. For register `$t5`, note that although our function `f` does not modify it, function `func` is allowed to modify it so we cannot assume anything about the value of `$t5` after function `func` has been called.

## Solution 2.25

**2.25.1** Generally, all solutions are similar:

```
lui $t1, top_16_bits  
ori $t1, $t1, bottom_16_bits
```

**2.25.2** Jump can go up to 0x0FFFFFFC.

a.	no
b.	no

**2.25.3** Range is  $0x604 + 0x1FFFC = 0x0002\ 0600$  to  $0x604 - 0x20000 = 0xFFFF\ 0604$ .

a.	no
b.	yes

**2.25.4** Range is 0x0042 0600 to 0x003E 0600.

a.	no
b.	no

**2.25.5** Generally, all solutions are similar:

```
add $t1, $zero, $zero      #clear $t1  
addi $t2, $zero, top_8_bits #set top 8b  
sll $t2, $t2, 24          #shift left 24 spots  
or  $t1, $t1, $t2          #place top 8b into $t1  
addi $t2, $zero, nxt1_8_bits #set next 8b  
sll $t2, $t2, 16          #shift left 16 spots  
or  $t1, $t1, $t2          #place next 8b into $t1  
addi $t2, $zero, nxt2_8_bits #set next 8b  
sll $t2, $t2, 24          #shift left 8 spots  
or  $t1, $t1, $t2          #place next 8b into $t1  
ori $t1, $t1, bot_8_bits  #or in bottom 8b
```

**2.25.6**

a.	0x12345678
b.	0x12340000

**2.25.7**

a.	t0 = (0x1234 << 16)   0x5678;
b.	t0 = (t0   0x5678); t0 = 0x1234 << 16;

## Solution 2.33

### 2.33.1

<b>a.</b>	<pre>find: move \$v0,\$zero loop: beq \$v0,\$a1,done       sll \$t0,\$v0,2       add \$t0,\$t0,\$a0       lw \$t0,0(\$t0)       bne \$t0,\$a2,skip       jr \$ra skip: addi \$v0,\$v0,1       b loop done: li \$v0,-1       jr \$ra</pre>
<b>b.</b>	<pre>count: move \$v0,\$zero        move \$t0,\$zero loop:  beq \$t0,\$a1,done        sll \$t1,\$t0,2        add \$t1,\$t1,\$a0        lw \$t1,0(\$t1)        bne \$t1,\$a2,skip        addi \$v0,\$v0,1 skip: addi \$t0,\$t0,1        b loop done:  jr \$ra</pre>

### 2.33.2

<b>a.</b>	<pre>int find(int *a, int n, int x){     int *p;     for(p=a;p!=a+n;p++)         if(*p==x)             return p-a;     return -1; }</pre>
<b>b.</b>	<pre>int count(int *a, int n, int x){     int res=0;     int *p;     for(p=a;p!=a+n;p++)         if(*p==x)             res=res+1;     return res; }</pre>

### 2.33.3

a.	find: move \$t0,\$a0 sll \$t1,\$a1,2 add \$t1,\$t1,\$a0 loop: beq \$t0,\$t1,done lw \$t2,0(\$t0) bne \$t2,\$a2,skip sub \$v0,\$t0,\$a0 srl \$v0,\$v0,2 jr \$ra skip: addi \$t0,\$t0,4 b loop done: li \$v0,-1 jr \$ra
b.	find: move \$v0,\$zero move \$t0,\$a0 sll \$t1,\$a1,2 add \$t1,\$t1,\$a0 loop: beq \$t0,\$t1,done lw \$t2,0(\$t0) bne \$t2,\$a2,skip addi \$v0,\$v0,1 skip: addi \$t0,\$t0,4 b loop done: jr \$ra

### 2.33.4

	Array-based	Pointer-based
a.	7	5
b.	8	6

### 2.33.5

	Array-based	Pointer-based
a.	1	3
b.	2	3

**2.33.6** Nothing would change. The code would change to save all t-registers we use to the stack, but this change is outside the loop body. The loop body itself would stay exactly the same.

## Solution 2.39

### 2.39.1

a.	0.86 seconds
b.	0.78 seconds

**2.39.2** Answer is no in all cases. Slows down the computer.

CCT = clock cycle time

ICa = instruction count (arithmetic)

ICls = instruction count (load/store)

ICb = instruction count (branch)

$$\text{new CPU time} = 0.75 \times \text{old ICa} \times \text{CPIa} \times 1.1 \times \text{oldCCT}$$

$$+ \text{oldICls} \times \text{CPIls} \times 1.1 \times \text{oldCCT}$$

$$+ \text{oldICb} \times \text{CPIb} \times 1.1 \times \text{oldCCT}$$

The extra clock cycle time adds sufficiently to the new CPU time such that it is not quicker than the old execution time in all cases.

### 2.39.3

a.	113.16%	126%
b.	106.85%	113%

### 2.39.4

a.	3
b.	2.65

### 2.39.5

a.	0.6
b.	1.07

### 2.39.6

a.	0.2
b.	0.716666667